## 4. COMPONENTS AND CIRCUITS - NR6H

## Chapter 4 Part 1 of 3

## ARRL General Class Sections 4.1, 4.2

## Current, Voltage, and Power

## CURRENT

- The flow of electrons
- Measured in ampéres (A) with a "ammeter"


## VOLTAGE

- The force/pressure that makes electrons move
- Measured in volts (V) with a "voltmeter"


## POWER

- The product of voltage and current

- Measured in watts (W)


## Ohm's Law

-"The current through a conductor between two points is directly proportional to the voltage across the two points"

The proportional factor is Resistance:


$$
V=I R \quad \text { or } \quad I=\frac{V}{R} \quad \text { or } \quad R=\frac{V}{I}
$$

Note: Voltage written either as E, V or U


Power - the rate of work


$$
\begin{aligned}
& \text { E = Voltage } \\
& \text { I = Current } \\
& \text { P = Power }
\end{aligned}
$$

## Power algebra

Substituting the Ohm's law equivalents for voltage and current allows power to be calculated using resistance

Substitute I for E/R:

$$
P=E \times I=E \times \frac{E}{R}=\frac{E^{2}}{R}
$$

Substitute E for I x R:

$$
P=E \times I=(I \times R) \times I=I^{2} \times R
$$

## Power calculation example

To find out how many watts of electrical power are used if 400 VDC is supplied to an $800 \Omega$ resistor

$$
P=\frac{E^{2}}{R}=\frac{400 \times 400}{800}=200 \mathrm{~W}
$$

## Power calculation another example

How many watts are being dissipated when a current of 7.0 mA flows through a $1.25 \mathrm{k} \Omega$ resistor ?

$$
\begin{aligned}
& P=I^{2} \times R \\
& P=0.007^{2} \times 1250=0.06125 \mathrm{~W}=61.25 \mathrm{~mW}
\end{aligned}
$$

| Name | Symbol | Factor |
| :--- | :---: | :--- |
| tera | T | $10^{12}$ |
| giga | G | $10^{9}$ |
| mega | M | $10^{6}$ |
| kilo | k | $10^{3}$ |
|  |  | $10^{0}$ |
| deci | d | $10^{-1}$ |
| centi | c | $10^{-2}$ |
| milli | m | $10^{-3}$ |
| micro | $\mu$ | $10^{-6}$ |
| nano | n | $10^{-9}$ |
| pico | p | $10^{-12}$ |

## Circuits - Series and Parallel

Circuit: Any complete path through which current can flow

Series Circuit: Two or more components are connected so that the same current flows through all of the components

Parallel Circuit: Two or more components are connected so that the same voltage is applied to all of the components


## Decibels (dB)

Bel is a unit-less ratio

- Like percent, but logarithmic
- One decibel ( dB ) is $1 / 10$ th Bel
- Convenient when working with large ratios

```
POWER
dB = 10 log
OdB = no change ("unity")
3dB = double power ("gain")
6dB = 4x power
-3dB = half power ("attenuation")
    -6dB = 1/4 power
```

```
VOLTAGE
```



```
0dB = no change
6dB = double voltage
12dB = 4x voltage
-6dB = half voltage
-12dB = 1/4 voltage
```


## Examples

-"Amplifier puts out 100W with 2 W input"
$10 \log _{10}(100 / 2)=17 \mathrm{~dB}$ (gain)
-"Measuring 4 V on the input, and 1 V on the output of an attenuator" $20 \log _{10}(1 / 4)=-12 \mathrm{~dB}$ (attenuation/loss)

Remember: $d B$ is a ratio. You should note what the ratio is relative to.

- $d B m=$ relative to 1 mW
- $d B V=$ relative to 1 Vpp
- $d B u=$ relative to $1 \mu V / m$
- $d B d=$ relative to a dipole
- $d B \$=$ relative to one US\$ (iPhone $14=29 d B \$$, Tesla $X=50 d B \$$, Bezos $=112 d B \$$ )


## Calculate ratio from dB

## POWER

```
dB = 10 log
```

Ratio $=P / P_{\text {ref }}=\log ^{-1}(\mathrm{~dB} / 10)$

VOLTAGE
$\mathrm{dB}=20 \log _{10}\left(\mathrm{~V} / \mathrm{V}_{\text {ref }}\right)$
Ratio $=\mathrm{V} / \mathrm{V}_{\text {ref }}=\log ^{-1}(\mathrm{~dB} / 20)$

Inverse log
(referred to as antilog)
Written as: $\log _{10}{ }^{-1}$

$$
\text { or: } \log ^{-1}
$$

On scientific calculators
LOG $^{-1}$
ALOG
$10^{x}$
INV/SHIFT then LOG

## Converting dB to percentage and back

$$
\begin{aligned}
& d B=10 \log \left(\frac{\text { Percentage Power }}{100 \%}\right) \\
& d B=20 \log \left(\frac{\text { Percentage Voltage }}{100 \%}\right)
\end{aligned}
$$

$$
\text { Percentage Power }=100 \% \times \log ^{-1}\left(\frac{d B}{10}\right)
$$

$$
\text { Percentage Voltage }=100 \% \times \log ^{-1}\left(\frac{d B}{20}\right)
$$

Application example: Suppose you are using an antenna feed line that has a loss of 1 dB . You can calculate the amount of transmitter power that's actually reaching your antenna and how much is lost in the feed line.

$$
\text { Percentage Power }=100 \% \times \log ^{-1} \frac{-1}{10}=100 \% \times \log ^{-1}(-0.1)=79.4 \%
$$

$79.4 \%$ of the transmit power reaches the antenna ... $20.6 \%$ is lost in the feed line.

## Practical use of dB

## dB add and subtract!

| Coax Cable Signal Loss (Attenuation) in dB per 100ft* |  |  |  |  |  |  |  |  |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Loss $^{*}$ | RG-174 | RG-58 | RG-8X | RG-213 | RG-6 | RG-11 | RF-9914 | RF-9913 |
| 1 MHz | 1.9 dB | 0.4 dB | 0.5 dB | 0.2 dB | 0.2 dB | 0.2 dB | 0.3 dB | 0.2 dB |
| 10 MHz | 3.3 dB | 1.4 dB | 1.0 dB | 0.6 dB | 0.6 dB | 0.4 dB | 0.5 dB | 0.4 dB |
| 50 MHz | 6.6 dB | 3.3 dB | 2.5 dB | 1.6 dB | 1.4 dB | 1.0 dB | 1.1 dB | 0.9 dB |
| 100 MHz | 8.9 dB | 4.9 dB | 3.6 dB | 2.2 dB | 2.0 dB | 1.6 dB | 1.5 dB | 1.4 dB |
| 200 MHz | 11.9 dB | 7.3 dB | 5.4 dB | 3.3 dB | 2.8 dB | 2.3 dB | 2.0 dB | 1.8 dB |
| 400 MHz | 17.3 B | 11.2 dB | 7.9 dB | 4.8 dB | 4.3 dB | 3.5 dB | 2.9 dB | 2.6 dB |

$-0.36-0.44-2.2=-3.0 \mathrm{~dB}$

## Frequency

A complete sequence of AC current (alternating current) flowing, stopping, reversing, and stopping again is a cycle

The number of cycles per second is the current's frequency (f), measured in hertz (Hz)

A harmonic is a frequency at some integer multiple (2, 3, 4, etc.) of a lowest or fundamental frequency

- The harmonic at twice the frequency is the second harmonic, at three times is the third harmonic (there is no first harmonic)



## Wavelength

Speed of light in space (c) is 300 million ( $300 \times 10^{6}$ ) meters per second ...somewhat slower in wires and cables

Wavelength ( $\lambda$ ) of radio wave is the distance it travels during one complete cycle

- $\lambda=c / f$
- $f=c / \lambda$

A radio wave can be referred to by frequency OR wavelength because the speed of light is constant
$1 \mathrm{ft}=0.305 \mathrm{~m}$
$\mathrm{c}=983 \times 10^{6} \mathrm{ft}$

$$
\begin{aligned}
& 100 \mathrm{MHz} \rightarrow 300 \times 10^{6} / 100 \times 10^{6}=3 \mathrm{~m} \\
& 70 \mathrm{~cm}=0.7 \mathrm{~m} \rightarrow 300 / 0.7=428 \mathrm{MHz}
\end{aligned}
$$

## AC Power: $P=E x I$

But what voltage are we using?


## AC Power, RMS

## RMS = Root Mean Square

The RMS value of an AC signal is equivalent to the DC voltage that would be required to produce the same heating effect (power).

The RMS for a sine wave is $0.707(1 / \sqrt{2})$ times the sine wave's peak voltage

- $\mathrm{V}_{\mathrm{RMS}}=0.707 \times \mathrm{V}_{\mathrm{PK}}$
- $V_{P K}=1.414 \times V_{\text {RMS }}$
- $V_{P P}=2 \times V_{P K}$
- Only true for pure sine wave!



## Waveform Calculation Examples

A sine wave with a peak voltage of $17 V$ has what $R M S$ value?

$$
\mathrm{V}_{\mathrm{RMS}}=0.707 \times \mathrm{V}_{\mathrm{PK}}=0.707 \times 17 \mathrm{~V}=12 \mathrm{~V}
$$

A sine wave with a peak-peak voltage of 100 V has what $R M S$ value?

$$
V_{\mathrm{RMS}}=0.707 \times \frac{\mathrm{V}_{\mathrm{P}-\mathrm{P}}}{2}=0.707 \times \frac{100}{2}=35.4 \mathrm{~V}
$$

A sine wave with an RMS voltage of 120.0 V has what peak-to-peak voltage value?

$$
V_{P-P}=2 \times 1.414 \times 120=2.828 \times 120=339.4 \mathrm{~V}
$$

## PEP : Peak Envelope Power

PEP (Peak Envelope Power) is the average power of one complete RF cycle at the peak of the signal's envelope.
It is a convenient way to measure or specify the maximum power of amplitudemodulated signals.

To calculate average AC power, you need to know the load impedance and the RMS voltage at the peak of the envelope.

$$
\mathrm{PEP}=\frac{V_{R M S}^{2}}{R}=\frac{(0.707 \times P E V)^{2}}{R}
$$

## PEP Calculations

If $P E V$ is 50 V across a $50 \Omega$ load, the $P E P$ power is:

$$
\mathrm{PEP}=\frac{(50 \times 0.707)^{2}}{50}=\frac{35.35^{2}}{50}=\frac{1249.62}{50}=25 \mathrm{~W}
$$

If a $50 \Omega$ load is dissipating 1200 W PEP, the RMS voltage is ...

$$
\text { VRMS }=\sqrt{P E P \times R}=\sqrt{1200 \times 50}=245 \mathrm{~V}
$$

## PEP Calculations

If an oscilloscope measures 200 VP-P across a $50 \Omega$ load, what would be the PEP power?

$$
\operatorname{PEP}=\frac{\left[\frac{0.707 \times 200}{2}\right]^{2}}{50}=\frac{4999}{50}=100 \mathrm{~W}
$$

For the same device at 500 VP-P, the PEP power would be:

$$
\mathrm{PEP}=\frac{\left[\frac{0.707 \times 500}{2}\right]^{2}}{50}=\frac{31241}{50}=625 \mathrm{~W}
$$

## PEP special cases

PEP equals the average power if an amplitude-modulated signal is not modulated

- An example of this is when modulation is removed from an AM signal (leaving only the steady carrier) or when a CW transmitter is keyed

An FM signal is a constant-power signal, so PEP is always equal to average power for FM signals.

An average-reading wattmeter connected to your transmitter reads 1060 W when you close the key on CW. What is your PEP output?

1060 W

QUESTIONS?
ONLINE EXAM REVIEW AND PRACTICE QUESTIONS: http://www.arrl.org/examreview

